

CONSTRAINED SCHRÖDINGER-POISSON SYSTEM WITH NON CONSTANT INTERACTION

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We are dealing with a Schrödinger-Maxwell system in a bounded domain of \mathbb{R}^3 ; the unknowns are the charged standing waves $\psi = e^{-i\omega t}u(x)$ in equilibrium with a purely electrostatic potential ϕ . The system is not autonomous, in the sense that the coupling depends on a function $q = q(x)$. The non-homogeneous Neumann boundary conditions on ϕ prescribe the flux of the electric field \mathfrak{S} and give rise to a necessary condition. On the other hand we consider the usual normalizing condition in L^2 for u .

Under mild assumptions involving \mathfrak{S} and the function $q = q(x)$, we prove that this problem has a variational framework: its solutions can be characterized as constrained critical points. Then, by means of the Ljusternick-Schnirelmann theory, we get the existence of infinitely many solutions.

This work is in collaboration with Lorenzo Pisani.

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